

Model Question Paper
Discrete Mathematics - Part I
12th Standard

Maths

Reg.No. :

--	--	--	--	--	--

I. Answer all the questions

II. Use Blue pen only.

Time : 01:00:00 Hrs

Total Marks : 65

5 x 1 = 5

Section-A

- 1) Which of the following are statements? i) May God bless you. ii) Rose is a flower iii) Milk is white. iv) 1 is a prime number
(a) (i), (ii), (iii) (b) (i), (ii), (iv) (c) (i), (iii), (iv) (d) (ii), (iii), (iv)
- 2) If a compound statement is made up of three simple statements, then the number of rows in the truth table is
(a) 8 (b) 6 (c) 4 (d) 2
- 3) If p is T and q is F, then which of the following have the truth value T ? (i) $p \vee q$ (ii) $\sim p \vee q$ (iii) $p \vee \sim q$ (iv) $p \wedge \sim q$
(a) (i), (ii), (iii) (b) (i), (ii), (iv) (c) (i), (iii), (iv) (d) (ii), (iii), (iv)
- 4) The number of rows in the truth table of $\sim [p \wedge (\sim q)]$ is
(a) 2 (b) 4 (c) 6 (d) 8
- 5) The conditional statement $p \rightarrow q$ is equivalent to
(a) $p \vee q$ (b) $p \vee \sim q$ (c) $\sim p \vee q$ (d) $p \wedge q$

Section-B

4 x 3 = 12

- 6) Use the truth table to establish which of the following statements are tautologies and which are contradictions . $(p \vee q) \vee (\sim (p \vee q))$
- 7) Use the truth table to establish which of the following statements are tautologies and which are contradictions . $(p \wedge (\sim q)) \vee ((\sim p) \vee q)$
- 8) Use the truth table to establish which of the following statements are tautologies and which are contradictions . $q \vee (p \vee (\sim q))$
- 9) Use the truth table to establish which of the following statements are tautologies and which are contradictions . $(p \wedge (\sim p)) \wedge ((\sim q) \wedge p)$

Section-C

4 x 6 = 24

- 10) Construct the truth table for the following statements: $(p \vee q) \wedge (\sim q)$
- 11) Construct the truth table for $(p \wedge q) \vee (\sim r)$
- 12) Construct the truth table for $(p \vee q) \wedge r$
- 13) Show that $\sim (p \vee q) \equiv (\sim p) \wedge (\sim q)$

Section-D

3 x 10 = 30

- 14) Show that $(z, *)$ is an infinite abelian group where $*$ is defined as $a * b = a + b + 2$.
- 15) a) Let G be the set of all rational numbers except 1 and $*$ be defined on G by $a * b = a + b - ab$ for all $a, b \in G$. Show that $(G, *)$ is an infinite abelian group.
(OR)
b) Prove that the set of four functions f_1, f_2, f_3, f_4 on the set of non-zero complex numbers $C - \{0\}$ defined by $f_1(z) = z, f_2(z) = -z, f_3(z) = \frac{1}{z}$ and $f_4(z) = -\frac{1}{z} \forall z \in C - \{0\}$ forms an abelian group with respect to the composition of functions.
